Atmospheric Physics Lecture 2 J. Sahraei Physics Department, Razi University http://www.razi.ac.ir/sahraei

Atmospheric radiation

To study the effects of atmospheric radiation, it is necessary to investigate the interaction between photons and atmospheric gases. One way in which solar photons may be lost is by

$$\Delta E = hv,$$

where ΔE is the difference in energy levels and h is Planck's constant.

 $\lambda = c/v = hc/\Delta E$,

Absorption

The atmosphere does not absorb radiation the same for all wavelengths

Solar radiation (shortwave radiaiton) pass through quite easily

Most of the high-energy UV radiation is almost completely absorbed by Stratospheric Ozone

Water vapor and Carbon Dioxide absorb near infrared radiation

Scattering fundamentals

Scattering can be broadly defined as the redirection of radiation out of the original direction of propagation, usually due to interactions with molecules and particles

Reflection, refraction, diffraction etc. are actually all just forms of scattering Matter is composed of discrete electrical charges (atoms and molecules – dipoles)

Light is an oscillating EM field – excites charges, which radiate EM waves

These radiated EM waves are scattered waves, excited by a source external to the scatterer

The superposition of incident and scattered EM waves is what is observed

Atmospheric Scattering

Scattering is the process where an atom, molecule, or particle redirects energy.





Scattering of light off air molecules is called Rayleigh Scattering Involves particles much smaller than the wavelength of incident light Responsible for the blue color of clear sky





Predominantly scatters light (radiation) in the forward direction.

For example, the solar radiation is typically scattered towards the surface and not back to space.

Rayleigh and Mie scattering



Scattering determines the brightness and color of the sky



Water droplets $\sim 10 \mu m$

Ice crystals ~ 100 µm



Light passing through clouds is an excellent example of nonselective scattering

Optical phenomena





Rainbow Light Paths



Rainbow: for large particles (x = 10,0000), the forward and backward peaks in the scattering phase function become very narrow (almost non-existent). Light paths are best predicted using geometric optics and ray tracing

Primary rainbow: single internal reflection Secondary rainbow: double internal reflection

Reflected radiation







a = 0.6 - 0.8





a = 0.2-0.5

a < 0.2

Diffuse radiation



A schematic illustration of atmospheric processes

Wien's Displacement Law

This law expresses the relationship between the temperature of a radiating body and its wavelength of maximum emission

 $\lambda_{max} = C/T$

C is the Wien's constant $C = 2898 \, \mu m K$

Compare the difference between the sun and the Earth.



Radiative properties of natural surfaces

Natural surfaces are not perfect radiators or blackbodies, but are, in general, gray bodies. They are generally characterized by several different radiative properties, which are defined as follows

Emissivity is defined as the ratio of the energy flux emitted by the surface at a given wavelength and temperature to that emitted by a blackbody at the same wavelength and temperature

$$\varepsilon_{\lambda} = \frac{I_{\lambda}}{B_{\lambda}}$$

Absoptivity is defined as the ratio of the amount of radiant energy absorbed by the surface material to the total amount of energy incident on the surface

 $\alpha_{\lambda} = \frac{I_{\lambda}(absorbed)}{I_{\lambda}(incident)}$

Reflectivity is defined as the ratio of the amount of radiation reflected to the total amount incident upon the surface

 $R_{\lambda} = \frac{I_{\lambda}(\text{ reflected })}{I_{\lambda}(\text{ incident })}$

Transmissivity is defined as the ratio of the radiation transmitted to the subsurface medium to the total amount incident upon the surface

 $T_{\lambda} = \frac{I_{\lambda}(transmitted)}{I_{\lambda}(incident)}$

$$\alpha_{\lambda} + T_{\lambda} + R_{\lambda} = 1$$

Kirchhoff's Law

A body absorbs and emits energy at a given wavelength with equal efficiency.

For a blackbody: $\alpha_{\lambda} = \varepsilon_{\lambda} = 1$

Where α_{λ} is the absorptivity, and ε_{λ} is the emissivity. If the object is not a blackbody, then:

$$\alpha_{\lambda} = \varepsilon_{\lambda} < 1$$

strong emitters \Leftrightarrow strong absorbers weak emitters \Leftrightarrow weak absorbers

$$R_L = -\varepsilon \sigma T^4$$

Table 3.1



Radiative Properties of Natural Surfaces^a

Surface type	Other specifications	Albedo (a)	Emissivity (e)
Water	Small zenith angle	0.03-0.10	0.92-0.97
	Large zenith angle	0.10-0.50	0.92-0.97
Snow	Old	0.40-0.70	0.82-0.89
	Fresh	0.45-0.95	0.90-0.99
Bare sand	Dry	0.35-0.45	0.84-0.90
	Wet	0.20-0.30	0.91-0.95
Grass	Long (1 m) Short (0.02 m)	0.16-0.26	0.90-0.95

Shortwave Radiation

 $S_o = 1368 \text{ w m}^{-2}$ is the solar constant for Earth

Insolation

$$R_0 = S_0 \left(\frac{d_m}{d}\right)^2 \cos \gamma$$

$$I_{0} = \int_{t_{1}}^{t_{2}} R_{0}(t) dt$$



Radiation in the Atmosphere

Deviations from blackbody due to absorption by the solar atmosphere, absorption and scattering by the earth's atmosphere (below).



Stefan-Boltzmann Law

This law expresses the rate of radiation emission per unit area

$$R = \sigma T^{4}$$
 $\sigma = 5.67 \times 10^{-8} W / m^{2} K^{4}$

Compare the difference between the radiation emission from the sun and the Earth.

The sun with an average temperature of 6000 K emits 73,483,200 W/m²

By contrast, Earth with an average temperature of 300 K emits 459 $\rm W/m^2$

The sun has a temperature 20 times higher than Earth and thus emits about 160,000 times more radiation This makes sense,

$$20^4 = 160,000$$

The Planck law

$$u_{v}(T) = \frac{8\pi hv^{3}}{c^{3}(e^{hv/k_{B}T} - 1)}$$

 $u_v \Delta \Omega/(4\pi)$.

h =
$$6.6262 \times 10^{-34}$$
 joule sec
k = 1.3806×10^{-23} joule deg⁻¹
c = $2.99793 \times 10^{+8}$ m/s
T = object temperature in Kelvins

$$B_{\nu}(T) = \frac{2h\nu^3}{c^2 \{\exp[h\nu/(k_{\rm B}T)] - 1\}};$$

this is called the Planck function

The black-body spectral radiance can also be written in terms of the power per unit area, per unit solid angle, per unit wavelength interval,

$$B_{\lambda}(T) = \frac{2hc^2}{\lambda^5 \{\exp[hc/(\lambda k_{\rm B}T)] - 1\}};$$



If B_{λ} is integrated over all wavelengths, we obtain the black-body radiance

$$\int_0^\infty B_\lambda(T)\,d\lambda = \frac{\sigma}{\pi}T^4,$$

where σ is the Stefan-Boltzmann constant.

In terms of an integral over $ln(\Lambda)$, this gives

$$T^{-4}\int_{-\infty}^{\infty}\lambda B_{\lambda}(T)\,d(\ln\lambda)=\frac{\sigma}{\pi}.$$





Blackbody radiation curves at three different temperatures (K; see legend in upper right corner).



